Characterization of a scintillator-based γ-ray detector

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Goals for this experience

- Understand the principle of operation of a γ-ray detector based on scintillating crystals.
- Understand the working principle of a **solid-state photodetector** and its front-end **electronic chain**.
- Hands-on experience in laboratory:
 - Acquire spectra of radioactive sources
 - Calibration and derivation of principal operating parameters of the detector
 - Have fun!

Scintillators

- In the γ-ray range from ~100 keV to ~20 MeV scintillator-based detectors are the **most common** ones
- A *scintillator* is a material that **converts an energy deposit** (from a photon or a charged particle) in **optical photons**
- The amount of light generated is **proportional** to the deposited energy

Scintillators



Scintillators

Two main families of scintillators

ORGANIC

Liquids, plastics (e.g. LXe, anthracene)

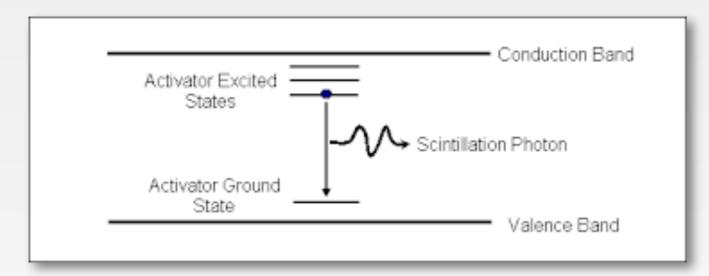
- Low density and stopping power
- Low mean atomic number
- Fast light output (~ns)
- Easily customizable in shape and dimensions
- Lightweight
- Inexpensive
- Non linear

INORGANIC

Crystals
(e.g. CsI, NaI, LaBr₃, ...)

- High density and stopping power
- High mean atomic number
- Slow(er) light output
- More photons per energy deposit w.r.t. organics (better energy resolution)
- Heavy
- Better linearity

Inorganic scintillators



Inorganic crystals are *doped*, e.g. with Tl or Ce: scintillation light is emitted thanks to the additional activator energy levels

Main characteristics

- **✓** Emission spectrum
- ✓ Light output (ph/MeV)
- ✓ Mass and density
- ✓ Energy resolution
- **√** Hygroscopicity
- ✓Internal background

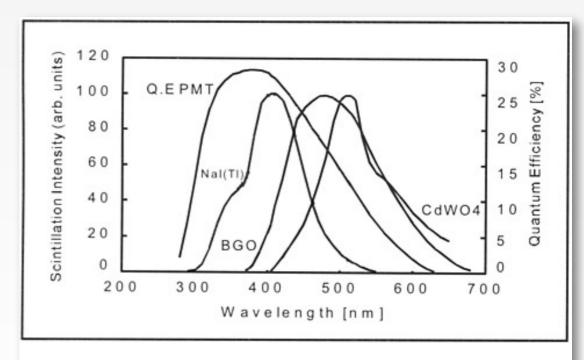


Fig. 3.1 Emission spectra of Nal(TI), BGO and CdWO₄, scaled on maximum emission intensity.

Inorganic scintillators

Material	Density (g/cm³)	Radiation length, X ₀ (cm)	PL output (Photons/MeV)	Decay (ns)	Application
NaI:Tl	3.67	2.59	38000	230	General purpose
CsF	4.11	2.23	2000	2.8	
CsI:Tl+	4.53	1.86	59000	1050	X-CT
CsI	4.51	1.85	30*	6, 35	
Bi ₄ Ge ₃ O ₁₂	7.13	1.12	8200	300	PCT, NP, HE
CdWO ₄	7.68	1.06	15000	5000	X-CT
Gd ₂ SiO ₅ :Ce	6.71	1.38	10000	60	PET
Lu ₂ SiO ₅ :Ce	7.4	1.14	30000	40	PET
PbWO ₄	8.2	0.92	490	10	HE

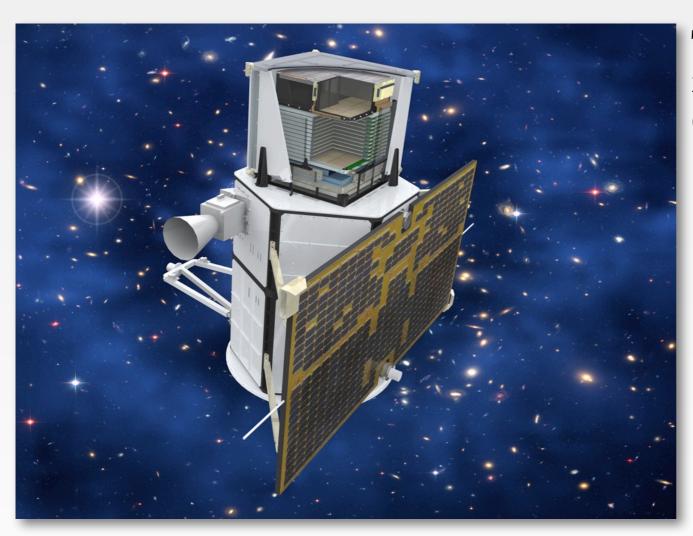
NP: Nuclear physics experiment

* Faster decay component

HE: High energy physics experiment

+ Slight hygroscopicity

Example of scintillators in high-energy astrophysics



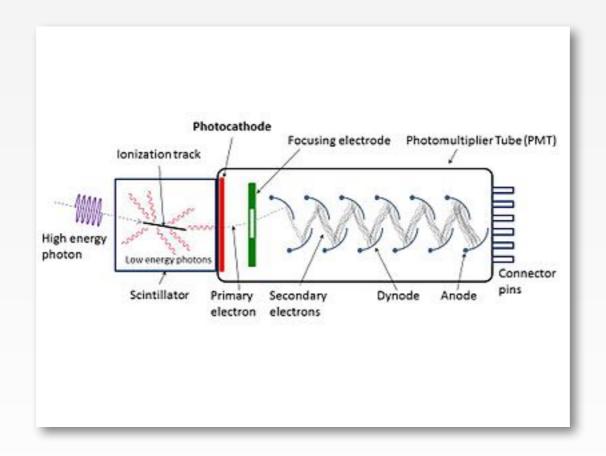
The AGILE anticoincidence and minicalorimeter are made of scintillators (plastic and CsI)

FERMI Gamma Burst Monitor has 12 NaI and 2 BGO crystals coupled with PMTs, while LAT has a CsI calorimeter



Photodetectors

- The scintillation light has to be collected and read out!
- The most common photodetector is the **Photomultiplier Tube** (PMT)
- Also: solid state detectors (SiPM, APD, Silicon Drift Detectors...)

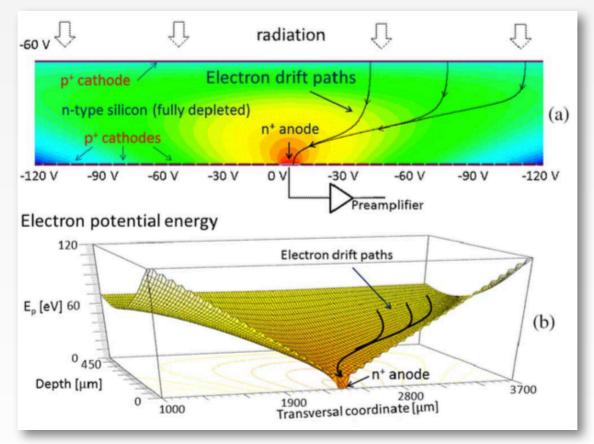


Silicon Drift Detectors

In this experience, we will use a **Silicon Drift Detector**, a very promising solid-state detector invented by Emilio Gatti and Pavel Rehak in 1984.

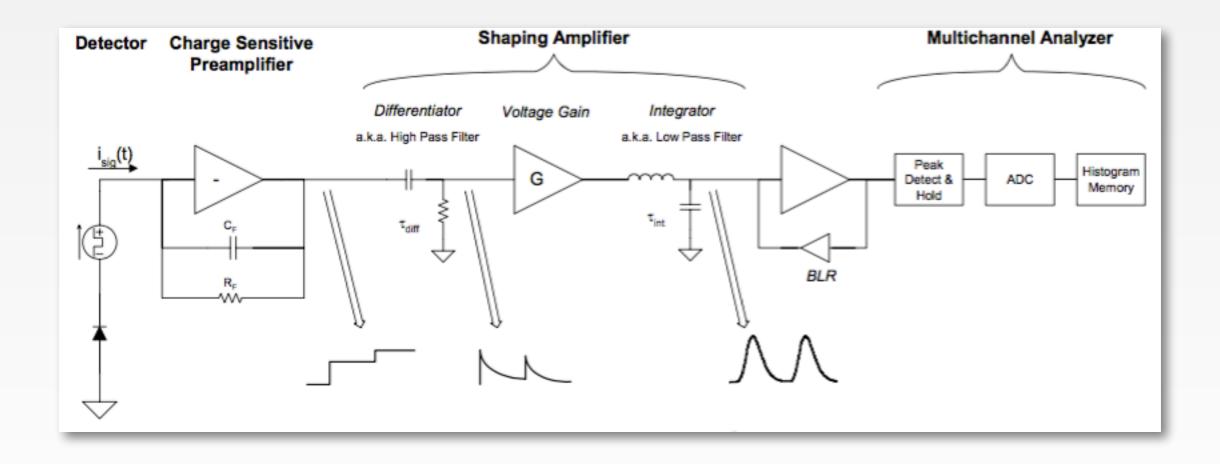
With respect to PMTs, they have a **much lower noise** (thus better energy resolution), **mass** and **power consumption** (crucial for **space** applications), but require a much more sophisticated readout electronics (no **intrinsic gain**)

While being mostly X-ray (and particle) detectors, they are sensitive also to optical light.

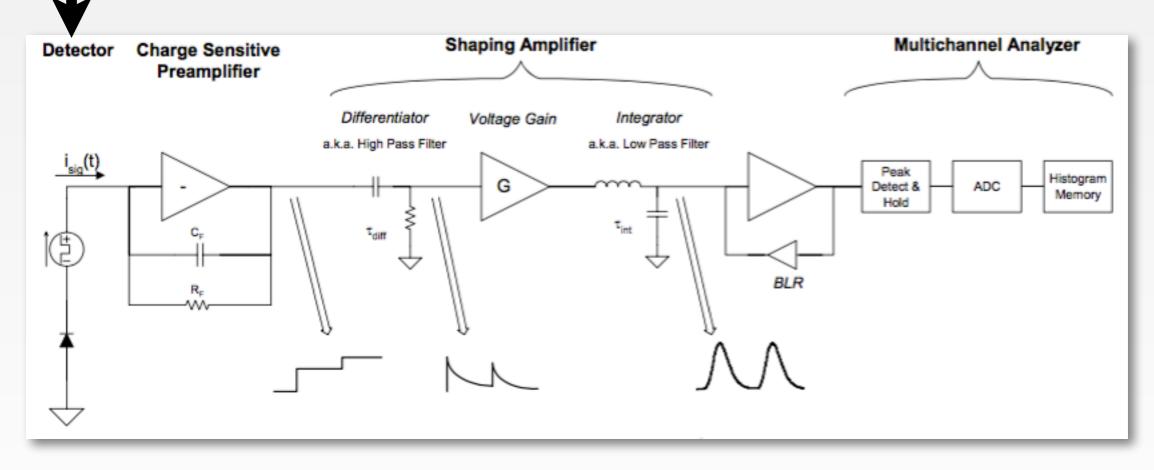


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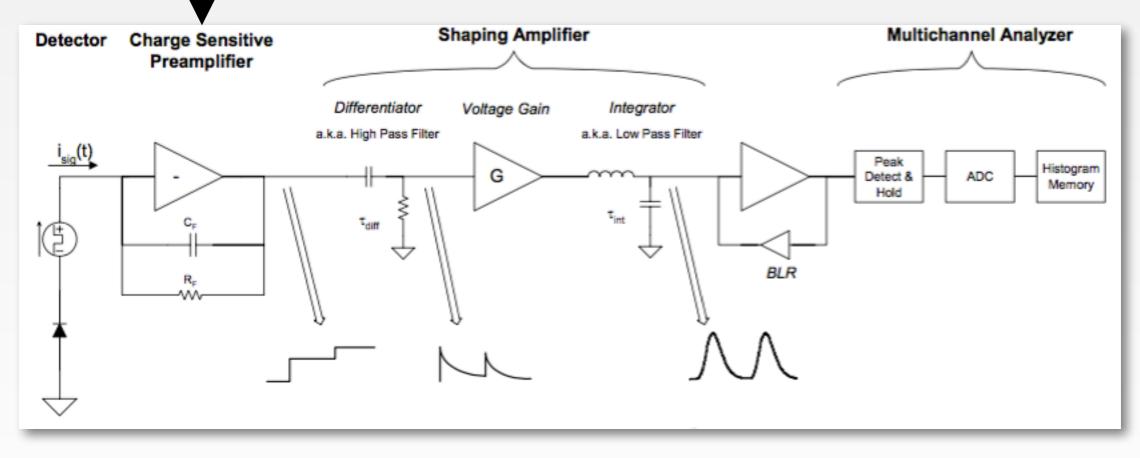
In the lab, we will see each step of a classical analog acquisition chain



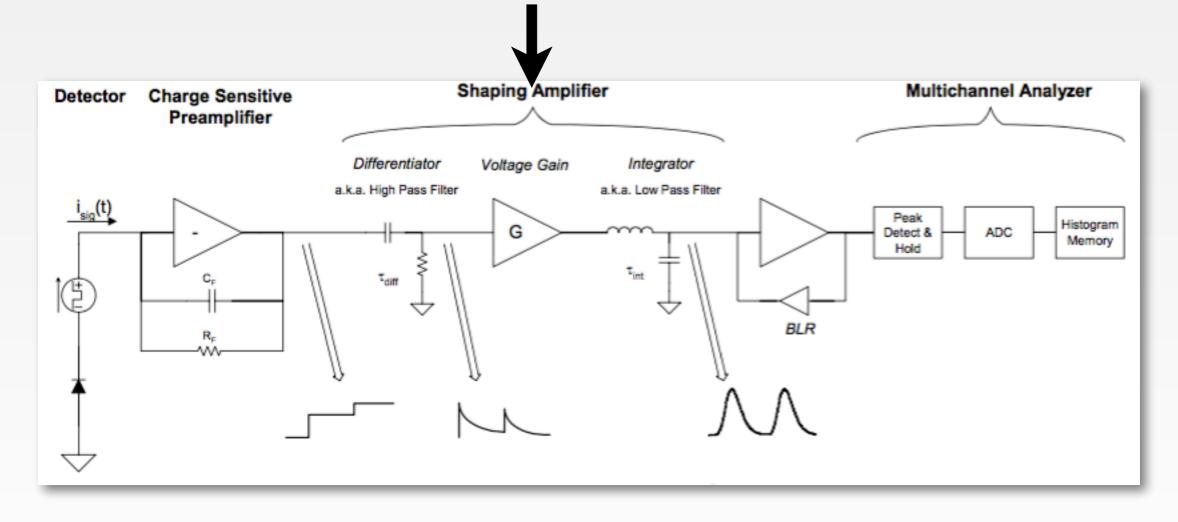
I. At the detector anode arrives a quantity of charge q (proportional to the deposited energy), providing a current i(t)



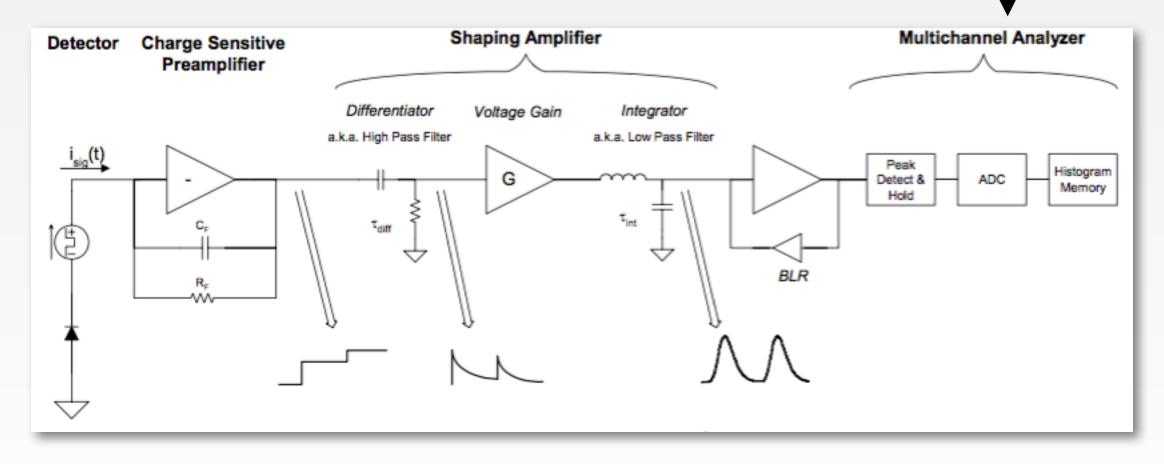
II. The current i(t) is converted in a **voltage step** by the **Charge Sensitive Preamplifier** (by accumulating the charge onto the feedback capacitor C_F)



III. The **shaper** amplifies the signal, changing its shape to maximize the signal-to-noise ratio and minimize pile-up



IV. The peak voltage value is proportional to the deposited energy. Its value is detected, digitized and stored e.g. by means of a **multichannel analyzer**

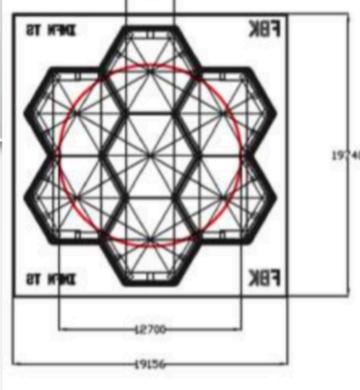


- We will use a multi-anode Silicon Drift Detector: a matrix of 7 independent hexagonal SDD cells
- We will use a cerium-activated lanthanum bromide scintillator: LaBr₃(Ce), one of the most recent and promising crystals: fast, high light output, excellent energy resolution, but hygroscopic and intrisically radioactive

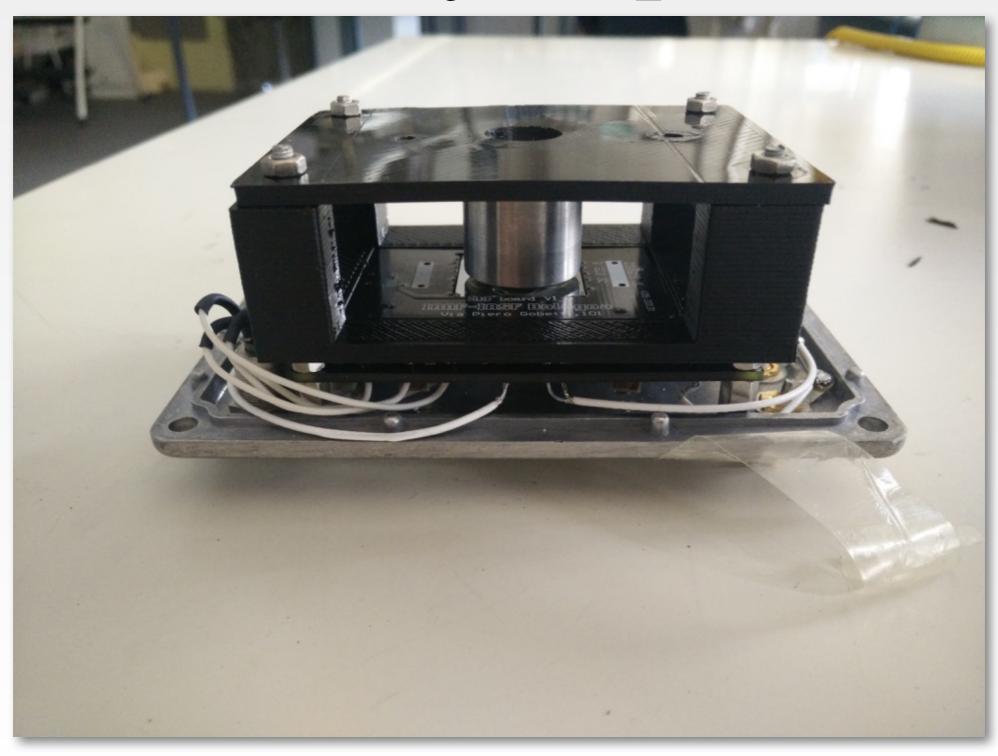


The 7-cell SDD matrix mounted in its printed circuit boards that hosts also the preamplifiers

The 1/2 inch diameter, 1/2 inch height LaBr₃ crystal covers fully the central SDD, but only ~55% of the peripheral cells







We will measure a gamma-ray spectrum of a radioactive source (137Cs) with:

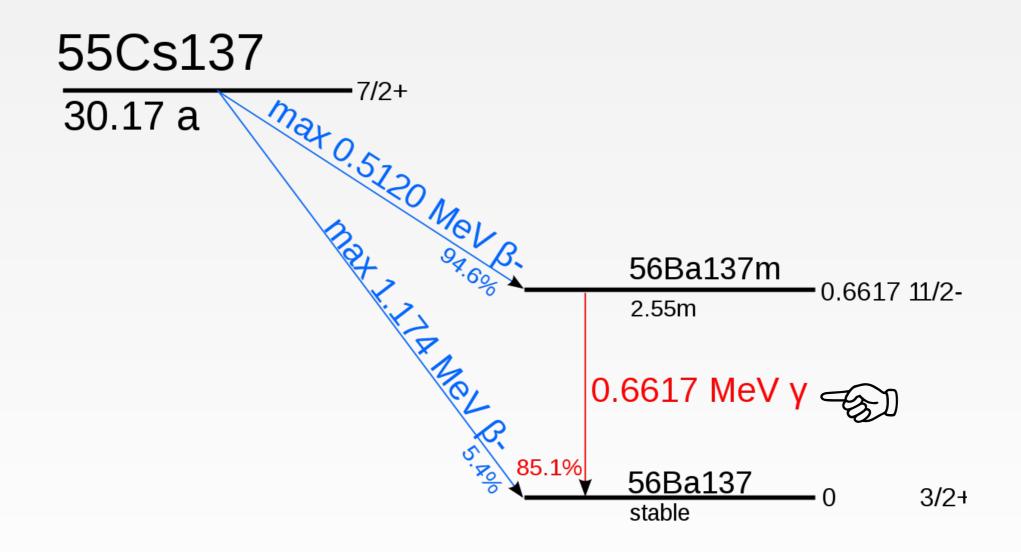
- a. only the **central** cell (CH1)
- b. with one peripheral cell (CH6)
- c. summing the signal of the two cells



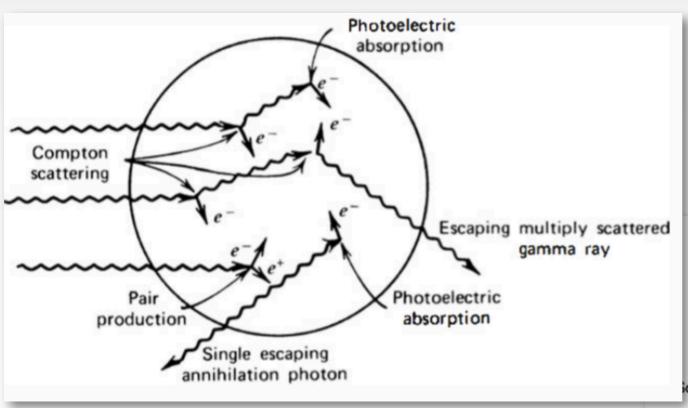
aiming to:

- 1. understand what we will see
- 2. derive some interesting parameters:
 - i. the effective light output
 - ii. the energy resolution

¹³⁷Cs emits mainly a 662 keV gamma-ray

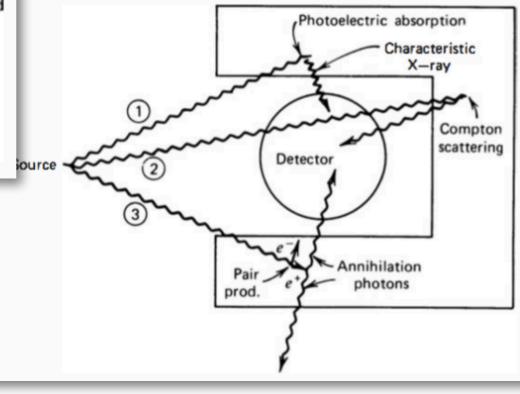


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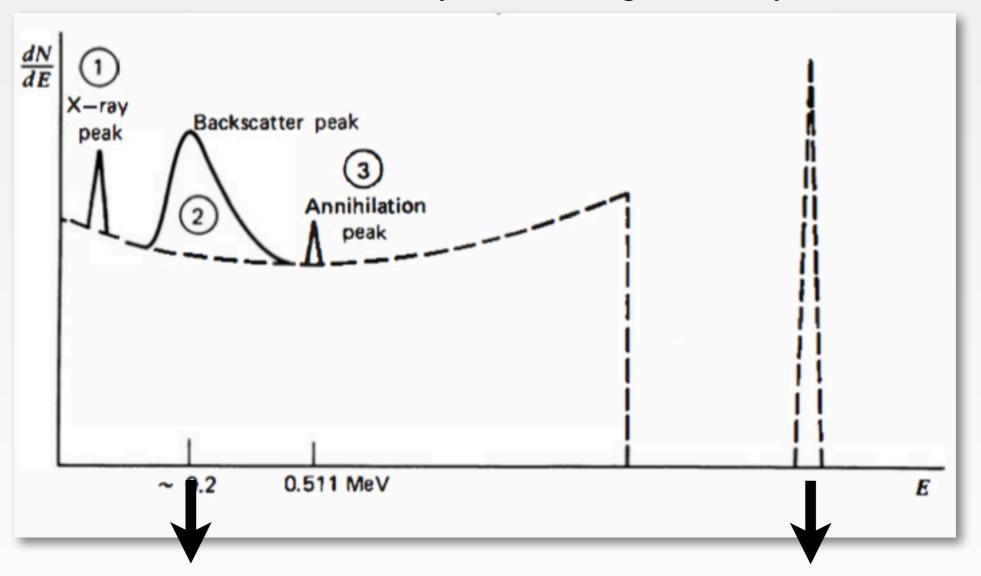
Two possible interactions:

- a. Photoelectric effect
- b. Compton effect (pair production is not energetically allowed, threshold 1.022 MeV)



Surrounding structures can also leave their effects on the resulting spectrum

¹³⁷Cs emits mainly a 662 keV gamma-ray

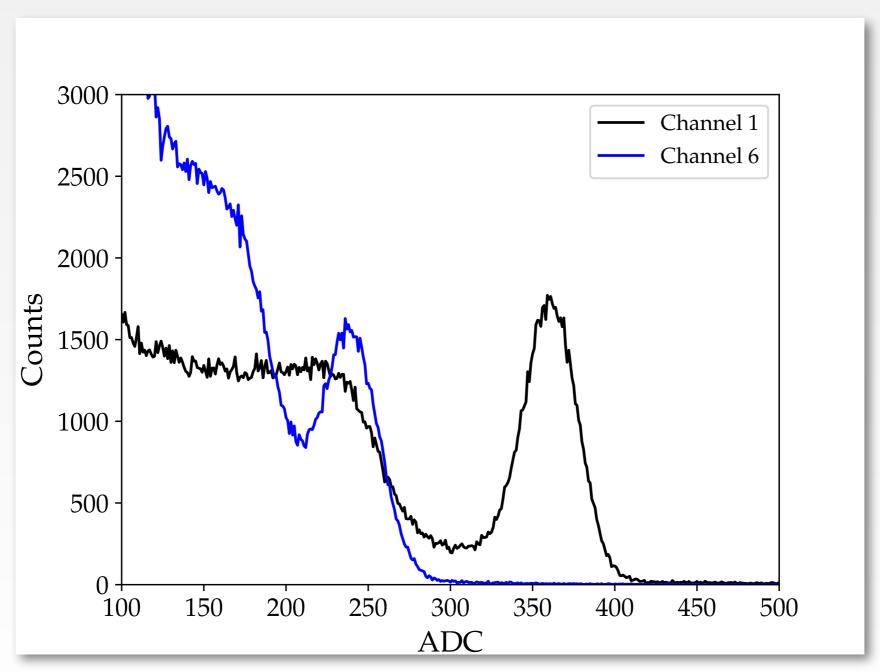


Compton continuum

(we see the energy transferred to the electron, the scattered photon escapes)

Photopeak at the same energy of the incident photon (photoelectric absorption or full-containment)

SPOILER ALERT: This is what we will see!



The **position** of the peak (in mV or ADC units) is proportional to the **amount of** light collected by the channel under study.

This depends on:

- 1. the **intrinsic light output** (photons per unit of absorbed energy, for LaBr₃(Ce) the typical value is 63 photons/keV)
- 2. the quality of the **optical coupling** and the **absorptions along the optical path** (typically we can collect roughly only half of the scintillation photons emitted in the crystal)
- 3. the quantum efficiency of the detector (low for PMTs, high for SDDs)

One optical photon detected by the SDD produces one electron at the anode: the effective light output is measured in e-/keV

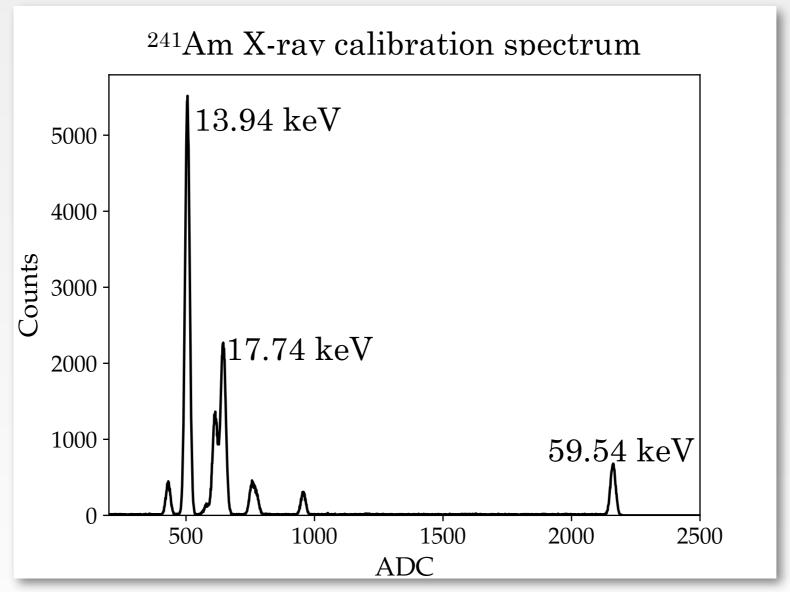
Therefore...

How many electrons are we seeing corresponding to the peak?

To answer this question (and thus to calculate the *effective* light output) we have to *calibrate* the detector!

We will use **direct** X-ray absorptions in the SDD: for each 3.6 eV of deposited energy, one electron/hole pair is produced in the silicon bulk.

Unfortunately, the crystal blocks X-rays, and removing and replacing it repeatedly is risky and cumbersome. Fortunately, X-ray spectra (²⁴¹Am) for the calibrations are already available!



The conversion factor ADC \rightarrow electrons (or ADC \rightarrow keV for X-rays alone) can be determined using the ²⁴¹Am X-ray peaks

The width of the peak is proportional to the energy resolution.

Energy resolution is expressed as a fraction or percentual:

$$R = \frac{\Delta E}{E}$$

For a Gaussian peak, $\Delta E = FWHM = 2.35\sigma$.

The total energy resolution has three contributions, statistical, electronic and intrinsic:

$$R = \sqrt{R_{\rm stat}^2 + R_{\rm el}^2 + R_{\rm intr}^2}$$

The **statistical** contribution depends on the **amount of electrons collected**.

This is a Poisson-distributed random variable, and therefore:

$$R_{\text{stat}} = \frac{2.35\sqrt{N_e}}{N_e} = \frac{2.35}{\sqrt{N_e}}$$

But the number of electrons collected by the anode N_e is given by:

$$N_e = L_{\gamma} \cdot E_{\gamma}$$

where L_{γ} is the effective light output [e-/keV] and E_{γ} is the deposited energy [keV] Therefore:

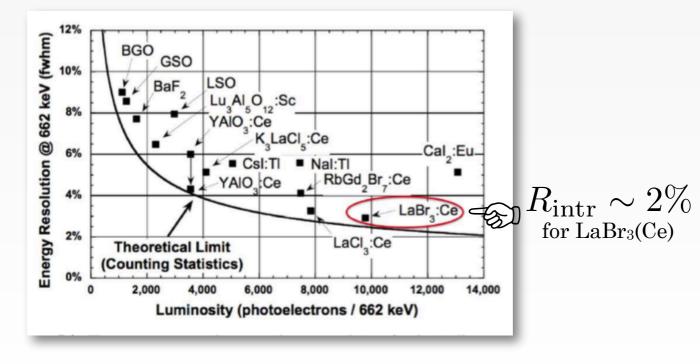
$$R_{\rm stat} = \frac{2.35}{\sqrt{L_{\gamma} E_{\gamma}}}$$

The **electronic** contribution depends on the intrinsic electronic noise of the detector, preamplifier, shaper, etc. It is also strongly temperature-dependent.

If the scintillation light is collected by several channels, the overall electronic noise is the quadrature sum of the noise of each channel.

$$R_{\rm el}^{\rm tot} = \sqrt{R_{\rm el,ch0}^2 + R_{\rm el,ch1}^2 + R_{\rm el,ch2}^2 + \cdots}$$

The **intrinsic** contribution depends on the intrinsic non-linearities in the response of the crystal. LaBr₃ is one of the best scintillators in this regard.



Outline

Procedure:

- 1. Acquire a ¹³⁷Cs spectrum for CH1 (a few minutes will suffice)
- 2. Acquire a ¹³⁷Cs spectrum also for CH6
- 3. Calibrate separately both ¹³⁷Cs scintillation spectra with the provided ²⁴¹Am direct absorption X-ray spectra:
 - a. identify X-ray peaks in the ²⁴¹Am spectrum
 - b. determine their ADC value
 - c. fit linearly your (energy, ADC) data points
 - d. convert the x-axis of your 137 Cs spectrum using the relation you found at the previous step
- 4. Derive the effective light output of both channels
- 5. Calculate the energy resolution for both channels, by measuring the width of the 662 keV peak

Bonus track

Sum the signal of the two channels:

- 1. Acquire a ¹³⁷Cs spectrum for CH1+CH6, feed through an analog electronic adder
- 2. Understand what you are seeing! What is the position of the peak? And what is the energy resolution? How it compares with the spectra of the two channels alone?
- 3. Food for thought: what would happen if we were to add more channels? (Remember the energy resolution formula and its contributions!)

Contatti

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